Computer-Aided Exergy Study of a Gas Microturbine Cogeneration System

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Abstract—In the following article, an exergetic analysis of a microturbine operating with a regenerative Brayton cycle was carried out in order to identify the variation in exergy and exergy destruction behaviour generated in each component of the system by comparing these results to different microturbine loads. The study was carried out on a Brayton cycle with cogeneration which is composed of a compressor, combustion chamber, gas turbine, HRSG and an air preheater. In which the output power of the turbine was varied for the five case studies starting at 25kW to 45kW. As the study is carried out, at 45kW the greatest exergy is consumed and in the combustion chamber it is the one that contributes most to the destruction of exergy, adding up to an average of 36.5% of the total destroyed. With this it was shown that the increase of the power output of the turbine increases the needs of each component of the system and also increases the exertions of the system.

Keywords — Computer-aided simulation, cogeneration system, microturbine, exergetic performance.

I. INTRODUCTION

One of the thermodynamic cycles used for power generation is the Brayton Cycle, which uses gas, diesel or light fuels as fuel. These cycles have been studied in order to improve their performance[1–4]. In these cycles the simulation performance has been improved, modifying some parameters such as mass flow in the equipment, in order to achieve maximum power and less exergy destruction[5].

In the case of a regenerative Brayton cycle, where the difference with the original is that the flow of hot air does not fully expand to atmospheric pressure before entering the regenerator, the improvement obtained has allowed to achieve a thermal efficiency between 12% and 26%[6]. In addition, it has been demonstrated that the dimensionless power of the cycle can be optimized by looking for both the optimum heat transfer distributions between the hot and cold side of the heat exchanger and the optimum pressure ratio between the equipment[7]. However, all the proposed improvements found for these systems lead to smaller engine components such as compressors, turbine, regenerator and heat exchanger[8].

In addition, other studies have made it possible to optimize the entropy generation rate by 70% through the use of an ecological optimization function, bringing power generation close to the maximum capacity of the equipment defined by its design conditions[9].

One criterion for optimising Brayton cycles is the thermosetting analysis[10–12], where the total cost analysis takes into account the cost of fuel, investment, environment, operation and maintenance, as well as irreversibilities due to finite rate heat transfer, internal dissipations and pressure drops[13]. This criterion under the thermo-economical approach was used in a gas power generation system, allowing to identify an optimal point of operation where an efficiency of 71% of the maximum power was reached by means of multiple objective optimization functions, an exergy destruction of 24% lower and 67% less in the total cost with respect to the standard operating conditions[14].

Exergetic analysis as a means of searching for improvement opportunities is an important method of cycle optimization that has been widely used for different processes[15–17]. In the same way, for a new configuration of the proposed regenerative Brayton cycle, an exergy analysis was performed, the performance of the new configuration was investigated and optimized, and the optimum cooling pressure was determined [18]. In addition, the use of exergetic analysis allows us to evaluate the feasibility of integrating a closed combined cycle based on Brayton cycles with a solar power plant, resulting in exergetic efficiencies of over 70% [19].

Therefore, the main contribution of this work is to present the results of applying an exergetic analysis of a microturbine operating with a regenerative Brayton cycle, in order to identify the variation of exergy destruction behaviors and exergy generated in each component of the system, by comparing these results to different loads of the microturbine.

II. METHODOLOGY

The following is a detailed description of the process, which emphasizes the main components of the process and the case studies developed, as well as a diagram of the equipment and the fundamental equations that allowed for the caculation of the physical and chemical exertions and the destruction of exergy in the components.

2.1. Process description

The following is a detailed description of the process, which emphasizes the main components of the process and the case studies developed, as well as a diagram of the equipment and the fundamental equations that allowed for the caculation of the physical and chemical exertions and the destruction of exergy in the components Figure 1.

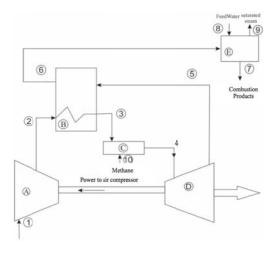


Figure 1. Process Diagram

For this system the output power of the turbine is varied for the five case studies shown in the Table 1, with the aim of evaluating the behavior of the chemical and physical exertions and the exergy destroyed in each of these cases.

Case	Power output (kW)
1	25
2	30
3	35
4	40
5	45

Table 1. Variation of operational parameters

2.2. Fundamental Equations

The fundamental thermodynamic equations used in this study have been extensively studied and are available in the literature[20], which together with the energy and exergy balances allow us to study the behavior of the cycle. The first law of thermodynamics for an open, steady state system was applied to each of the devices obtaining equation (1).

$$\dot{Q}_{C.V.} + \sum \dot{m_i} \left(h_i + \frac{V_i^2}{2} + g \cdot Z_i \right) = \sum \dot{m_e} \left(h_e + \frac{V_e^2}{2} + g \cdot Z_e \right) + \dot{W}_{C.V.}$$
 (1) In addition, the second law states that for systems for constant flow in steady state the balance is that shown by

equation (2).

$$\sum_{j} \frac{\dot{Q}_{j}}{T_{j}} + \sum_{i} \dot{m}_{i} \cdot s_{i} - \sum_{e} \dot{m}_{e} \cdot s_{e} + \dot{S}_{gen} = 0. (2)$$

Isotropic efficiency for turbines is given by the ratio between the actual power and the power generated by isentropic expansion and between the actual power at the input and that required by isentropic compression for compressors as shown in equations (3) and (4).

$$\eta_{st} = \frac{\dot{w}_{CV}}{(\dot{w}_{CV})_s}, \quad (3)$$

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$$\eta_{sc} = \frac{(W_{CV})_s}{\dot{W}_{CV}}.(4)$$

 $\eta_{sc} = \frac{(W_{CV})_s}{\dot{W}_{CV}}.(4)$ For ideal gases, the analysis of entropy between two states is governed by equation (5).

$$\bar{s}(T_2, P_2) - \bar{s}(T_1, P_1) = \bar{s}^{\circ}(T_2) - \bar{s}^{\circ}(T_1) - \bar{R} \cdot \ln \frac{P_2}{P_1}$$
 (5)

According to the third law of thermodynamics entropy at the same temperature and any pressure for ideal gases is determined according to equation (6).

$$\bar{s}(T,P) = \bar{s}^{\circ}(T) - \bar{R} \cdot \ln \frac{P}{P_{ref}}.$$
 (6)

Exergy can be divided into physical exergy (e^{PH}) , potential exergy (e^{PT}) , kinetic exergy (e^{KN}) and chemical exergy (e^{CH}) and omitting nuclear, magnetic, electrical and surface tension effects its equation (7) The total exergy specified in units of mass is.

$$e = e^{PH} + e^{KN} + e^{PT} + e^{CH}$$
. (7)

The physical exergy of a closed system in a specific state is given by equation (8), where h and s denote, respectively, the enthalpy and entropy of the system in the specific state, h_0 and s_0 are the values of the same properties when the system is in a restricted dead state.

$$E^{PH} = (h - h_0) - T_0(S - S_0).(8)$$

The chemical exergy of a mixture of gases, which are present in the gaseous phase of the environment, can be obtained by means of equation (9).

$$e^{-CH} = \overline{-R}T_0 \sum x_k \ln \frac{x_k^e}{x_k}.(9)$$

III. RESULTS AND ANALYSIS

One of the parameters analyzed was the physical exergy which was studied in each of the states of the plant. Figure 1 shows a comparison of physical exergy in each state.

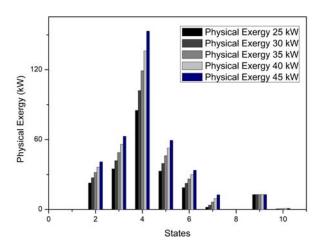


Figure 2. Physical exergy for states

In addition, the physical exergy is shown for each power ranging from 25kW to 45kW. It was possible to observe that in the first state there is no exergy due to the fact that it is air at room temperature and therefore does not present an energetic potential. On the other hand, in state four a peak of exergy is observed since in this state the gases have just left the combustion chamber having here if higher temperature, this thermal condition is reflected in a great available energy which is used in the process of the plant. The increase of this temperature is a determining point for the design of these cycles, this is due to the fact that as the temperatures handled by the plant increase, the demands on the materials with which they are built increase and the costs of assembling the plant also increase. On the other hand, chemical exergy was also a parameter that was reviewed in the study. In states 4 to 7 the chemical exergy maintains the value reached after leaving the combustion chamber as shown in Figure 3.

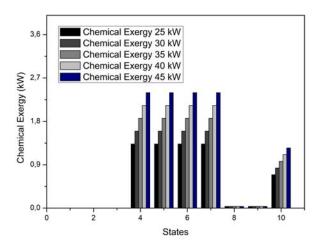


Figure 3. Chemical exergy for states

This result is due to the absence of a subsequent chemical reaction which can cause a decrease in chemical exergy. In addition, this figure shows the highest peak of chemical exergy in state 10 being this state where methane is injected into the combustion chamber. These values are multiplied by a factor of 10^{-2} for better visualization in the figure.

In the same way, the values of total exergy in each of the states were reviewed, this value is given by the sum of chemical and physical exergy. Figure 4 shows two high peaks due to the influence of high chemical exergy in state 10 due to the energy potential of methanol and physics in state 4 due to the increase in temperature generated by the passage of methanol through the combustion chamber.

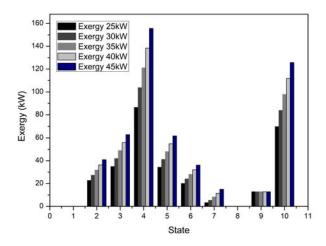


Figure 4. Total Exergy for states

Similarly, the exergy destruction obtained in each component was analyzed and a comparison is made with the total destruction of the components as shown in Figure 5.

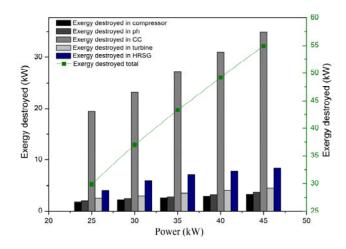


Figure 5. Exergy destroyed for output

The component that most contributes to the destruction of exergy is the combustion chamber. This destruction is presented in this component due to the transformation of the energy potential into methanol which is used to generate an increase in the temperature in the chamber. Adding up an average of 36.5% of the total destroyed exergy, its contribution to the destruction is very significant. This component shows its highest peak at 45kW.

Finally, Table 2 showed how fuel flow needs changed in each of the case studies. An increase proportional to the change in output power was observed, and as always the air flow was on average 1.72% lower than that of the products.

Power (kW)	Product flow	Air flow
25	77,3454	76,0115
30	92,8145	91,2139
35	108,2836	106,4162
40	123,7527	121,6185
45	139,2218	136,8208

Table 2. Mass flow per power output

IV. CONCLUSIONS

In conclusion, this study showed how the increase in turbine output power increases the needs of each component of the system. Parameters such as fuel mass flows increase and the temperature handled by the system components increases, which is critical for the design considerations of the system. In addition, it is observed that as the power generated increases, both the chemical exergy in the fuel and the physical exergy after combustion increase proportionally, due to the increase in the mass flows previously mentioned. It is hoped that the results of this study will serve as a basis for further research focused on the Brayton cycle with microturbines.

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